


**Sensorless  
Field Oriented Control (FOC) for  
AC Induction Motors (ACIM)**

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Welcome to the Sensorless Field Oriented Control for AC Induction Motors Web Seminar.

Hi, my name is Jorge Zambada, I am an applications engineer for the Digital Signal Controller Division at Microchip.




## Web Seminar Agenda

- **ACIM introduction**
- **Sensorless Field Oriented Control for ACIM**
- **Conclusions**

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Here is the agenda for the today's seminar: we will briefly talk about the induction motor's role in the industry, covering its main characteristics, then we will talk about sensorless field oriented control (FOC) with a description of its functional blocks. We will conclude showing a side to side comparison of sensed versus sensorless results.

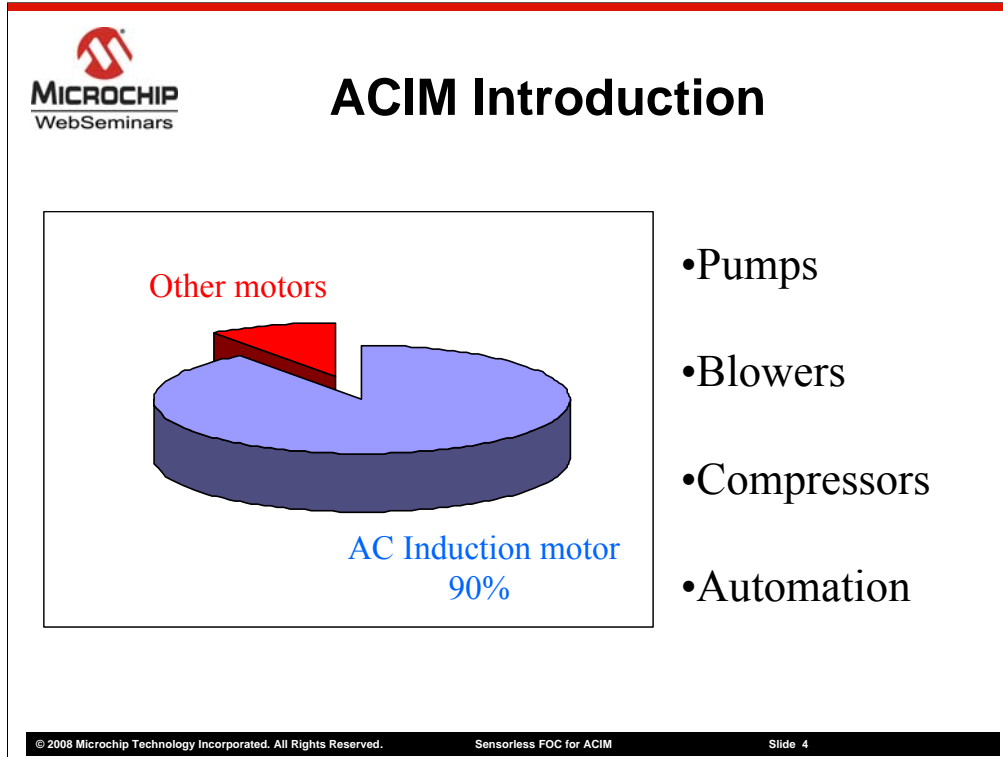


## Web Seminar Agenda

- **ACIM introduction**
- **Sensorless Field Oriented Control for ACIM**
- **Conclusions**

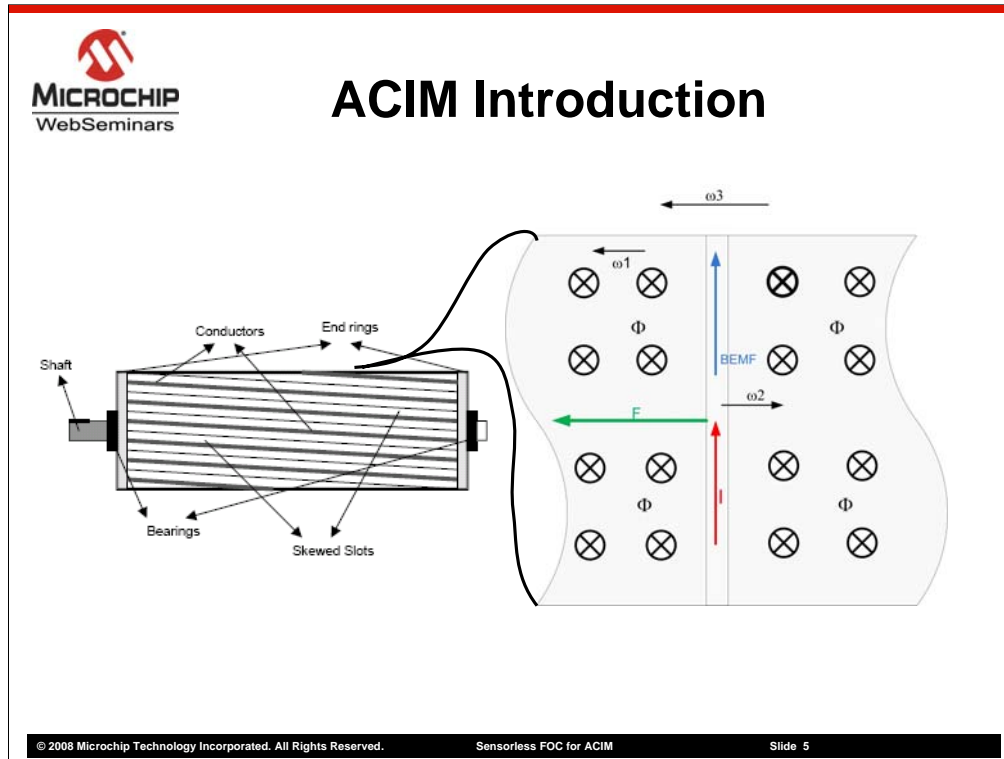
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In this section will briefly talk about ACIMs and their role in the industry.



At least 90% of industrial drives have induction motors; this is a result of its robustness and low cost. Another important aspect is the low maintenance cost which is a consequence of its simple and reliable design. An additional key factor is that the rotor does not have any moving contacts, which eliminates sparking.

Some of the applications where we find ACIMs are pumps, fans, blowers, compressors and in industrial automation. In most cases, induction motors are used with drives that have little or no electronics at all. In the case of no electronics, the motor is directly connected to the power line or through a mechanical relay.



From now on we will narrow the field of induction motor type to the squirrel cage model.

One of the main characteristic of this type of induction motor is the slip of the rotor speed with respect to the stator rotating flux speed. For this reason, this motor type is also known as asynchronous motor.

A demonstration of its operating principle is highlighted in the figure. As it can be seen, a conductor being part of the rotor is moving with speed  $\omega_1$  through the electromagnetic field moving with speed  $\omega_3$  with the directions indicated by the speed arrow. The resulting conductor speed relative to the magnetic field speed is  $\omega_2$  which is equal to  $\omega_3$  minus  $\omega_1$ . A Back electromagnetic force (also known as Back EMF, BEMF) will be induced with the direction of the blue arrow indicated in the figure. If the relative speed of the conductor with respect to the magnetic field speed is zero, no BEMF will be induced, and therefore no current will appear inside the conductor. The interaction of the current with the magnetic field will produce the electro-dynamic force  $F$ , shown with a green arrow.

The rotating stator flux induces a back EMF in the rotor squirrel cage, which generates the rotor flux. The motor starts spinning as the rotor flux is trying to catch the rotating stator flux. The rotor will never be synchronous with the stator rotating currents, because if they are synchronous, no BEMF will be inducted in the rotor cage and no rotor flux is generated.

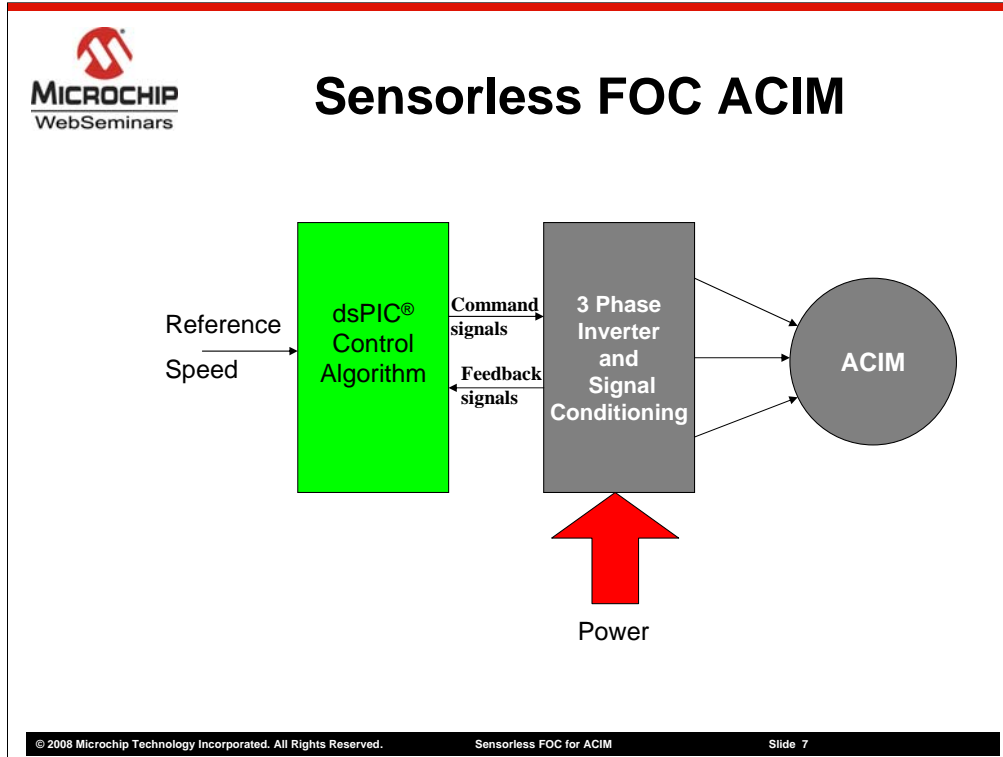


## Web Seminar Agenda

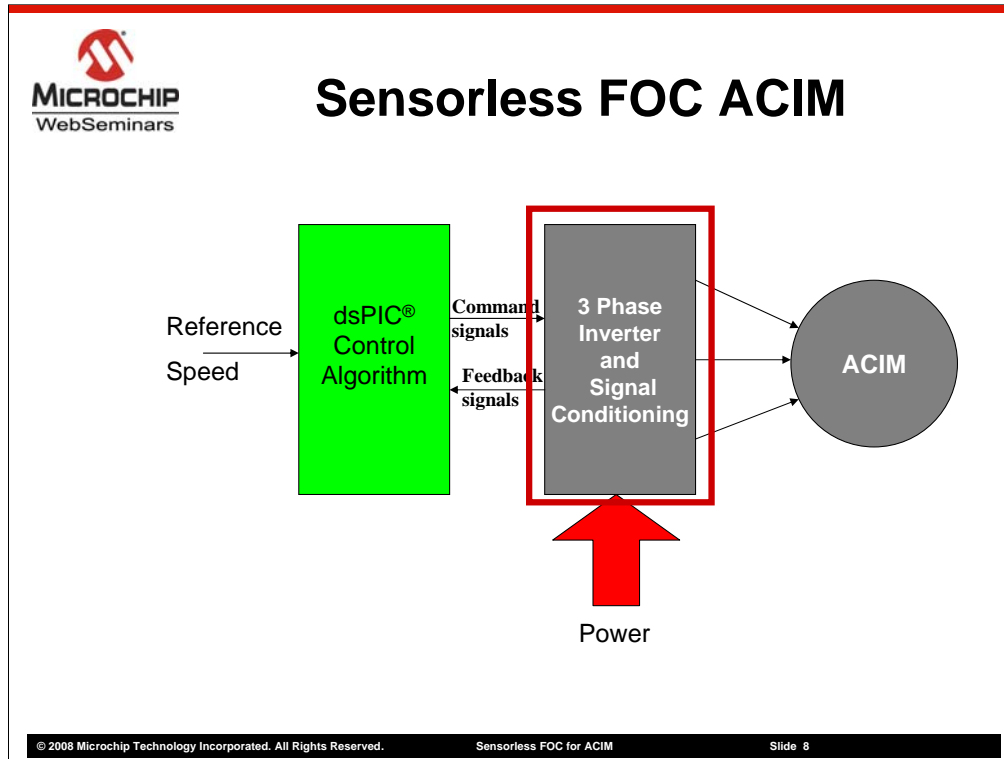
- ACIM introduction
- **Sensorless Field Oriented Control for ACIM**
- Conclusions

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In this section we will talk about sensorless field oriented control of an AC induction motor. First of all, we will have a brief description of the control system, and secondly we will have a detailed description of sensorless field oriented control.

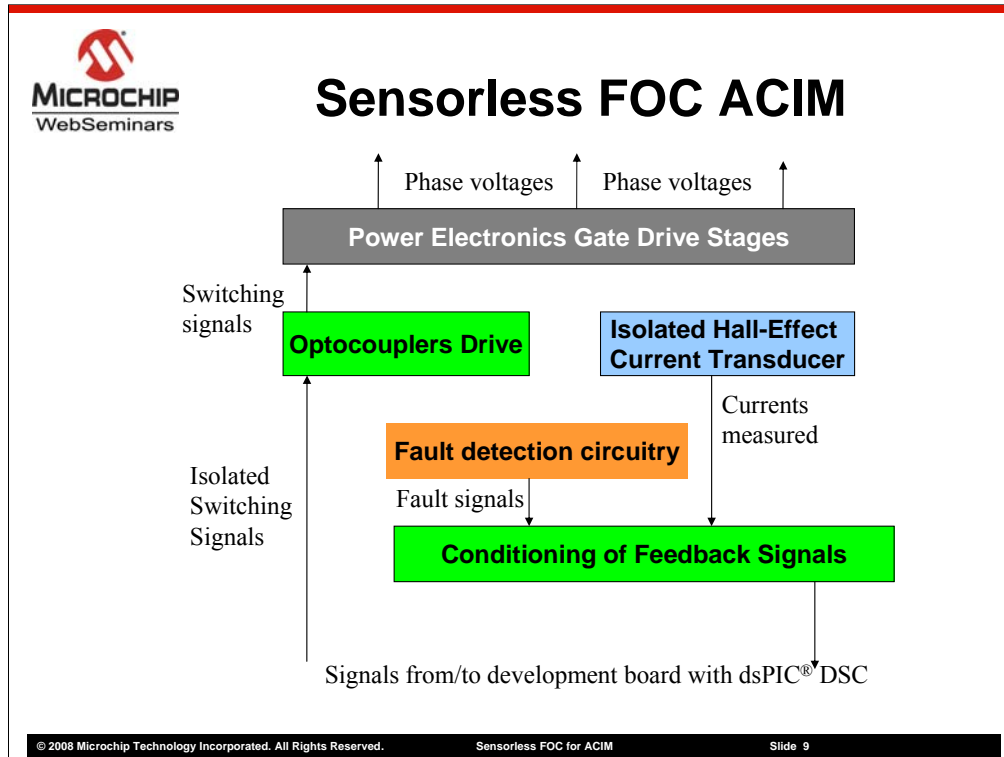


This is the general control scheme for sensorless FOC of an AC induction motor. Its 2 main blocks are: one, the dsPIC® control algorithm block and two, the 3 phase inverter and signal conditioning block. The purpose of the system is to control the speed of an induction motor using field oriented control without any position or speed sensor.



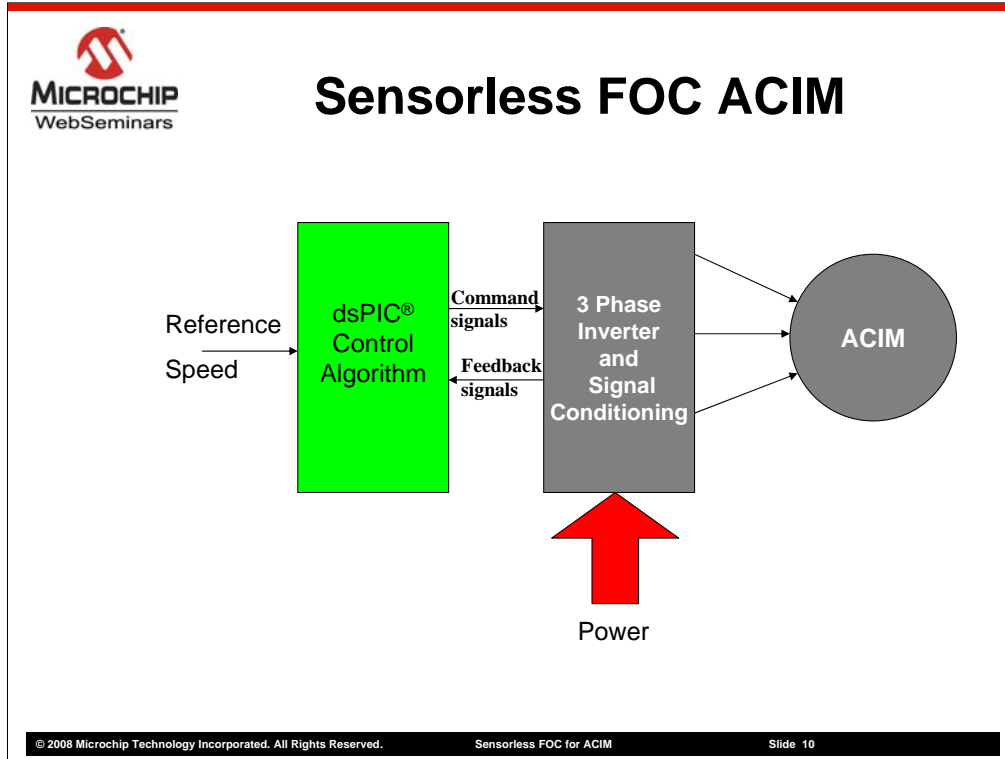
In the following slides, we will briefly describe the 3 phase inverter block.



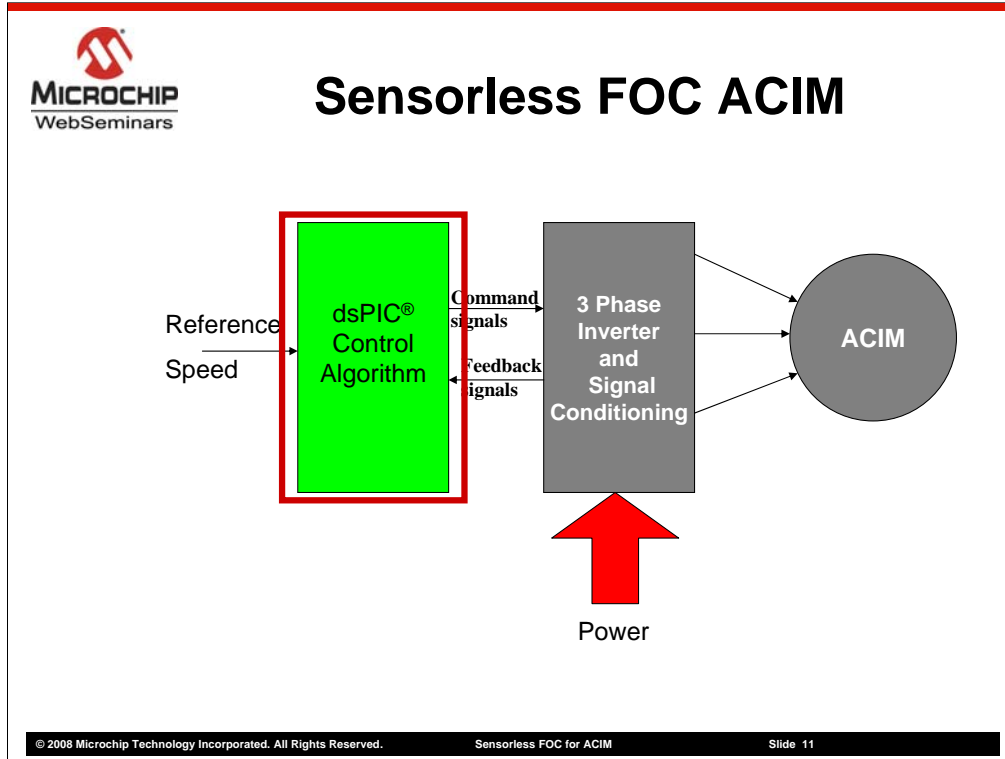


The 3 phase inverter and signal conditioning block is responsible for generating the 3 phase sinusoidal voltages to the induction motor and for conditioning the feedback signals connected to the dsPIC® DSC. Main blocks are:

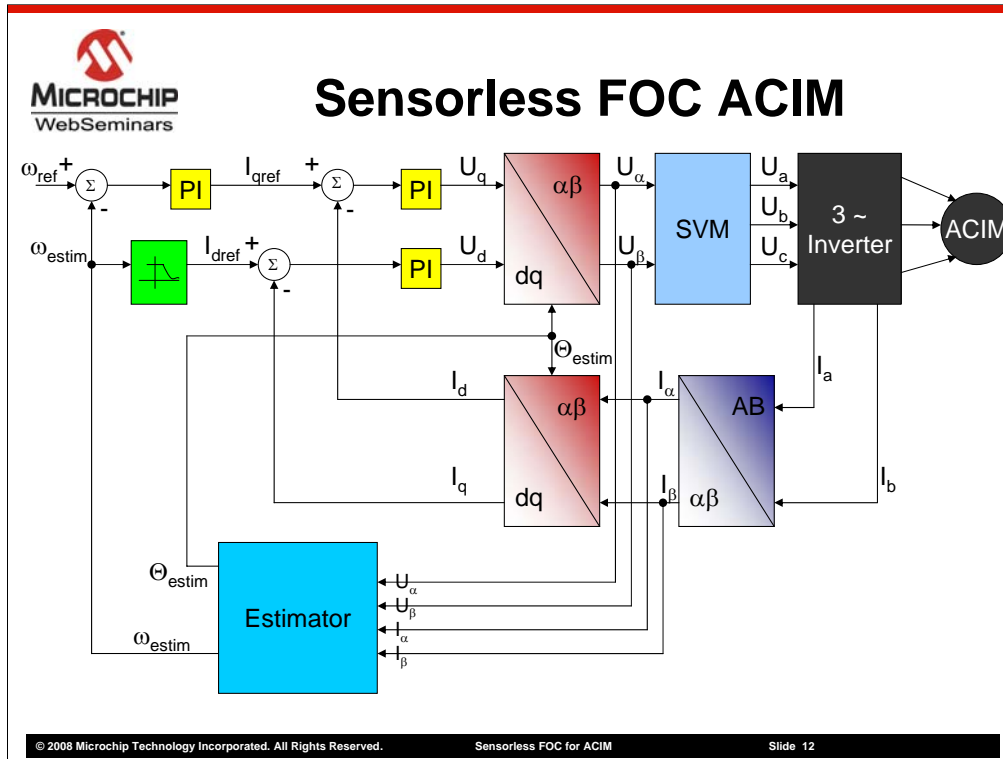
1. The first one is the power electronics gate drive stage that handles high voltages to be fed to the motor windings.
2. The second block is the optocouplers drive block, which is used to isolate digital and power grounds.
3. The third block has a set of current sensors that provide the motor phase currents to the dsPIC.
4. The fourth block has a fault detection circuit to disable all power outputs when an overvoltage or overcurrent is detected.
5. The fifth block has all the conditioning circuitry for the feedback and fault signals.



We will now describe...




... the sensorless field oriented control algorithm.



The key to understanding how field oriented control works is to form a mental picture of the coordinate reference transformation process. If you picture how an AC motor works, you might imagine the operation from the perspective of the stator. From this perspective, a sinusoidal input current is applied to the stator. This time variant signal causes a rotating magnetic flux to be generated. The speed of the rotor is going to be a function of the rotating flux vector. From a stationary perspective, the stator currents and the rotating flux vector look like AC quantities.

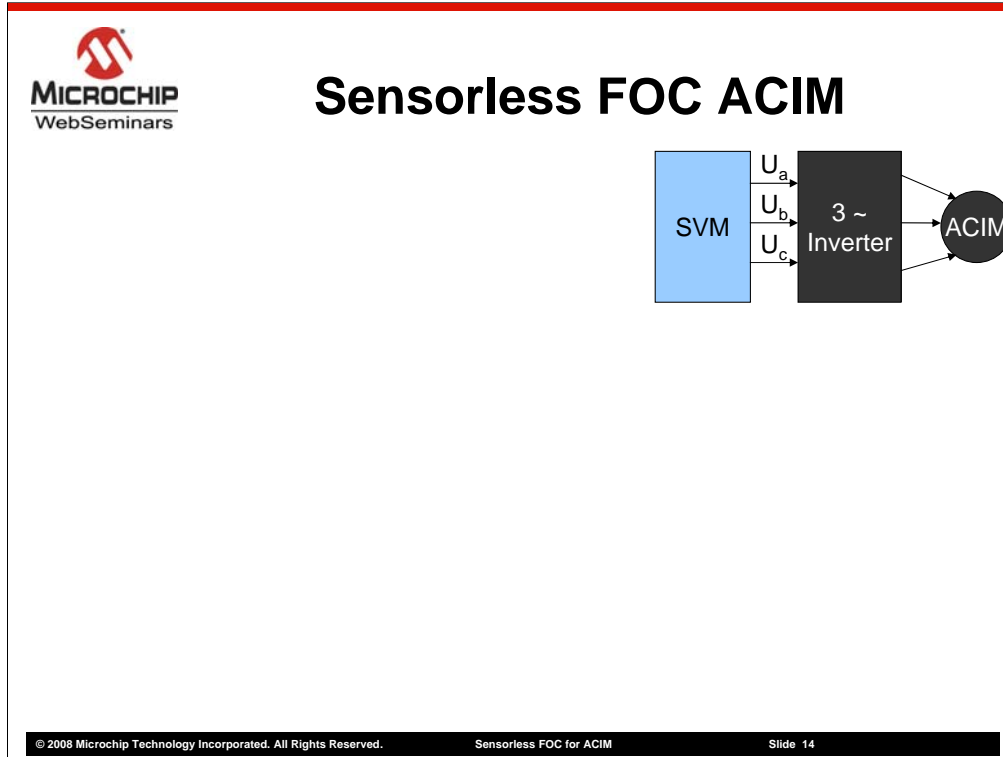
Now, instead of the previous perspective, imagine that you could climb inside the motor. Once you are inside the motor, picture yourself running alongside the spinning rotor at the same speed as the rotating flux vector that is generated by the stator currents. Looking at the motor from this perspective during steady state conditions, the stator currents look like constant values, and the rotating flux vector is stationary! Ultimately, you want to control the stator currents to get the desired rotor currents (which cannot be measured directly). With the coordinate transformation, the stator currents can be controlled like DC values using standard control loops



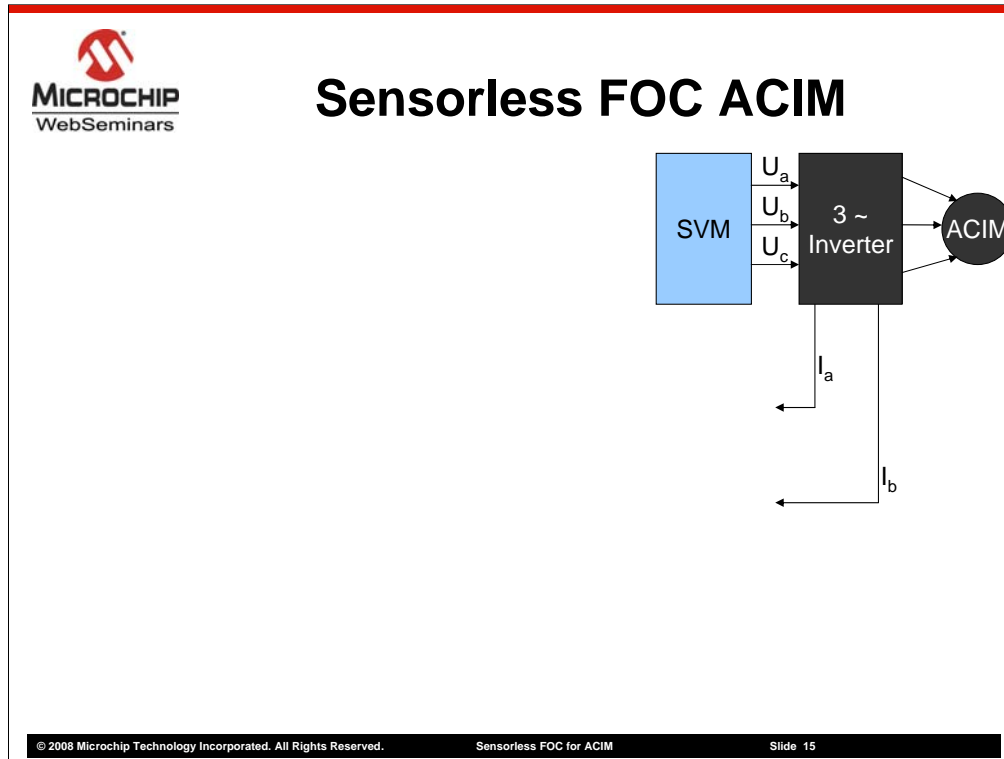
# Sensorless FOC ACIM

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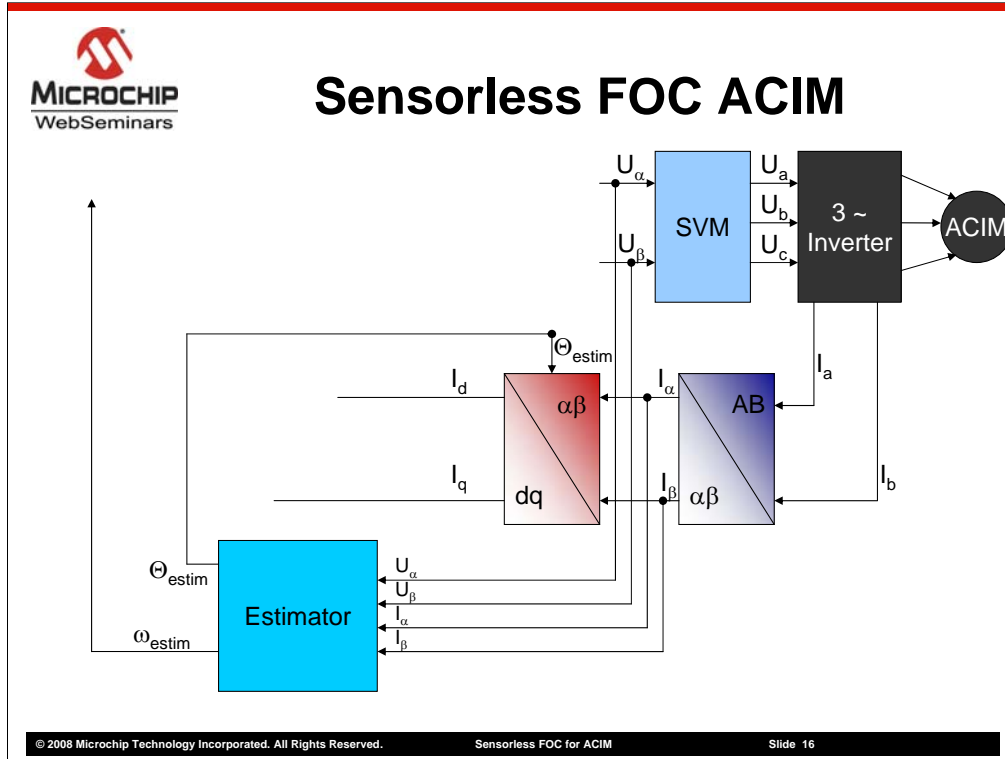
Let's take a look at the different components of field oriented control.



- The transition of coordinates separates the current component responsible for the magnetizing flux of the motor ( $I_d$ ) and the component responsible for motor torque ( $I_q$ ). In order to transition from the fixed reference frame (alpha-beta) to the rotating frame (d-q), the position of the rotor is required. In sensorless control, the position is estimated as shown in the figure.

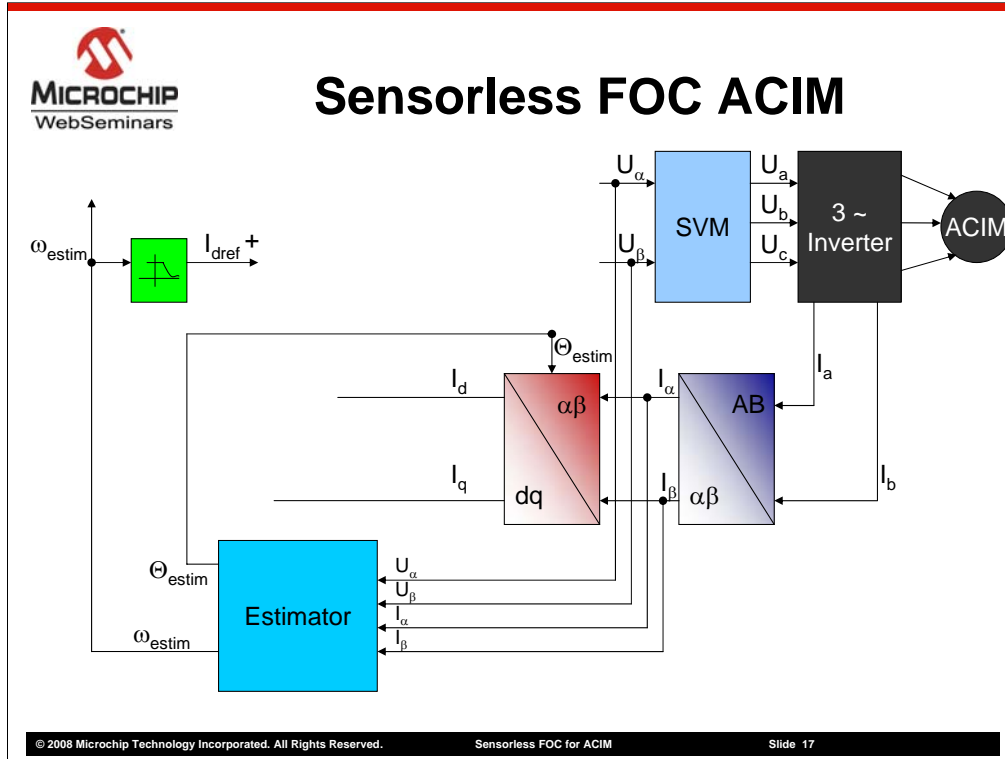


- We start from the right of this block set by measuring two phase currents ( $I_a$  and  $I_b$ ). We can determine the third assuming that the sum of the three currents is equal to zero. These two currents are then transformed into the fixed reference frame, or  $I_{\alpha}$  and  $I_{\beta}$ .

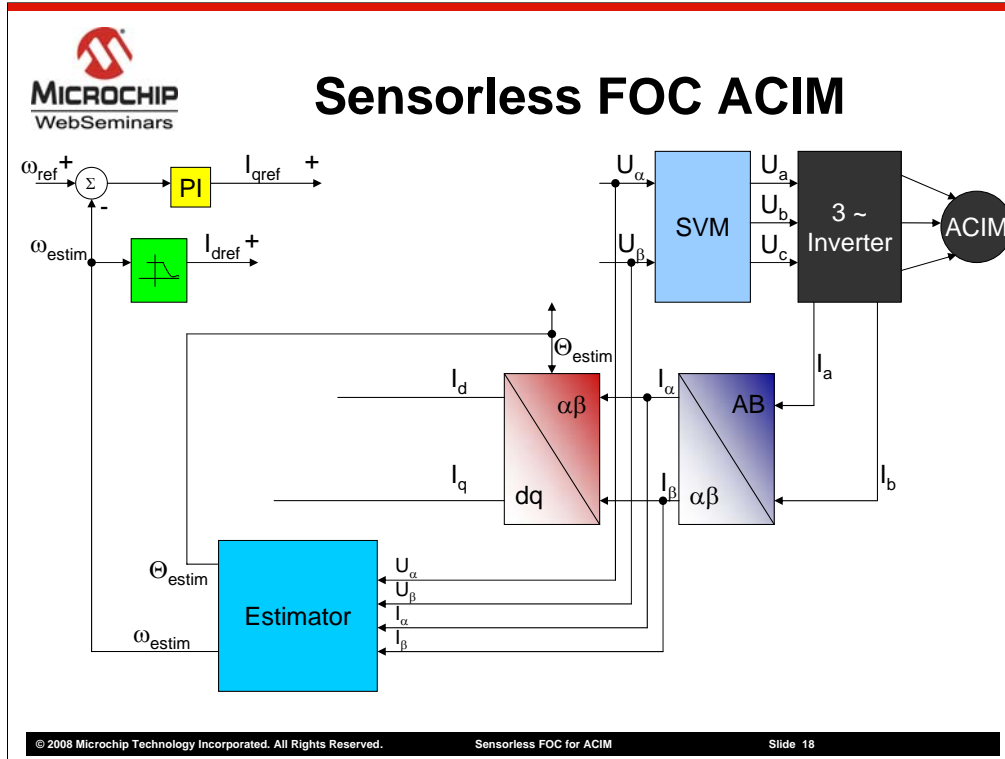


- Now, the rotor flux angle is needed for the transformation of the currents from the fixed reference frame (Ialpha and Ibeta) to the rotating rotor reference frame (Id and Iq). The resulting transformed currents will be responsible for magnetizing flux generation – id and torque – iq. The transformation from the fixed to rotating reference frame is called Park transform and will be described later in the web seminar.

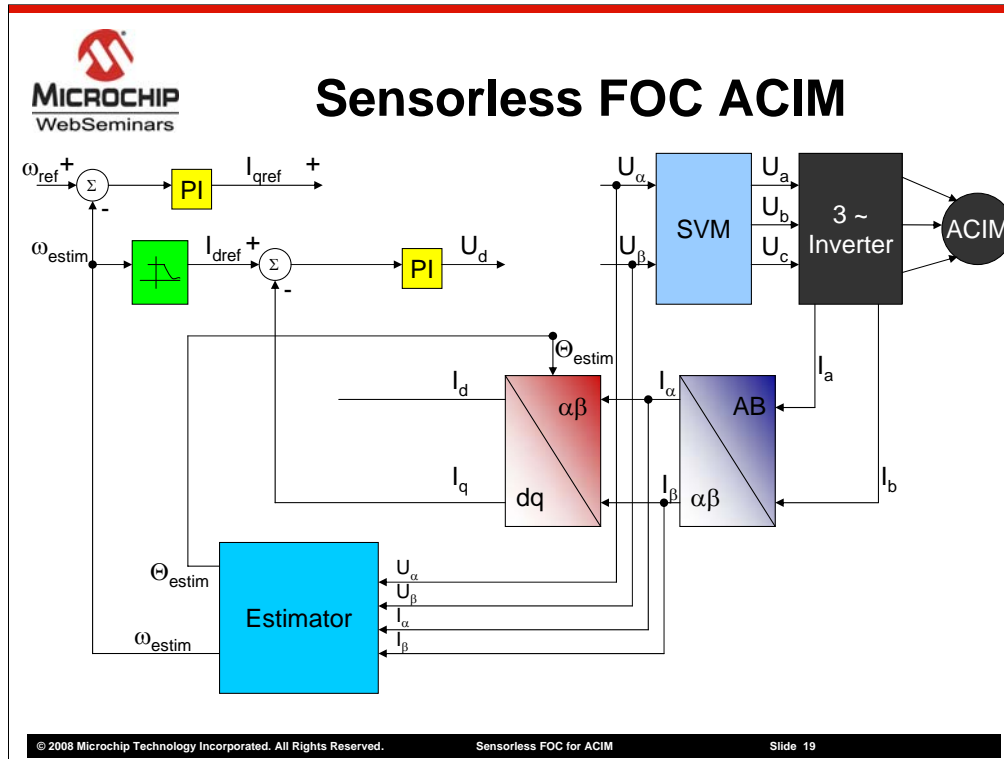




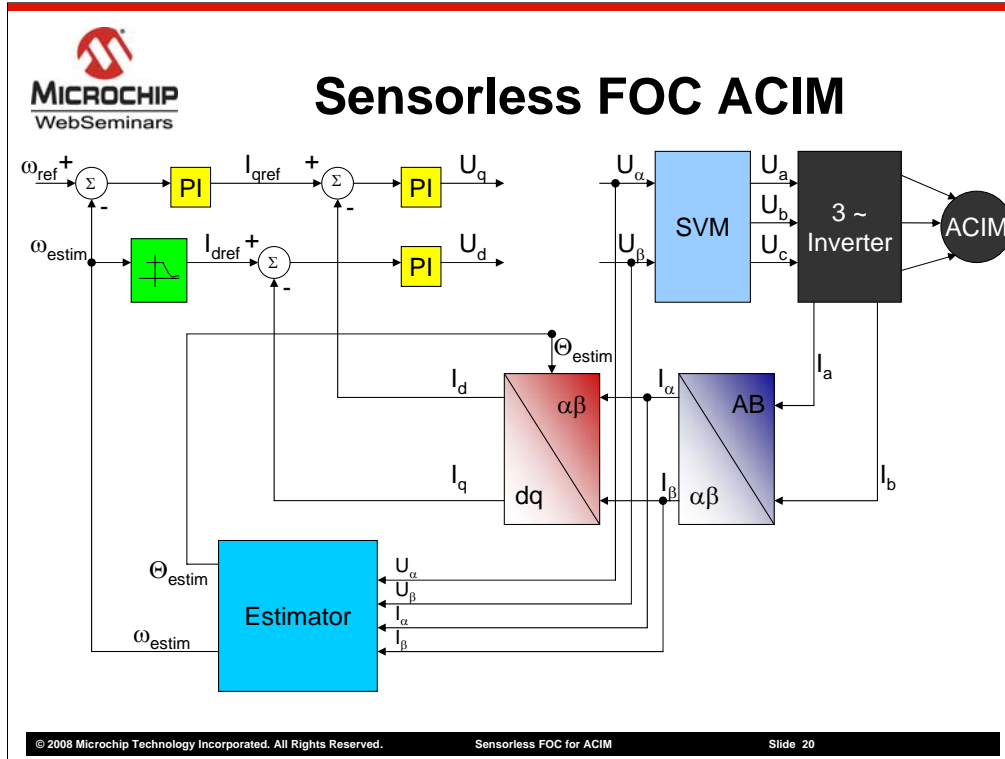
- $I_\alpha$ ,  $I_\beta$ ,  $U_\alpha$  and  $U_\beta$  will be used to estimate the position and speed of the motor.



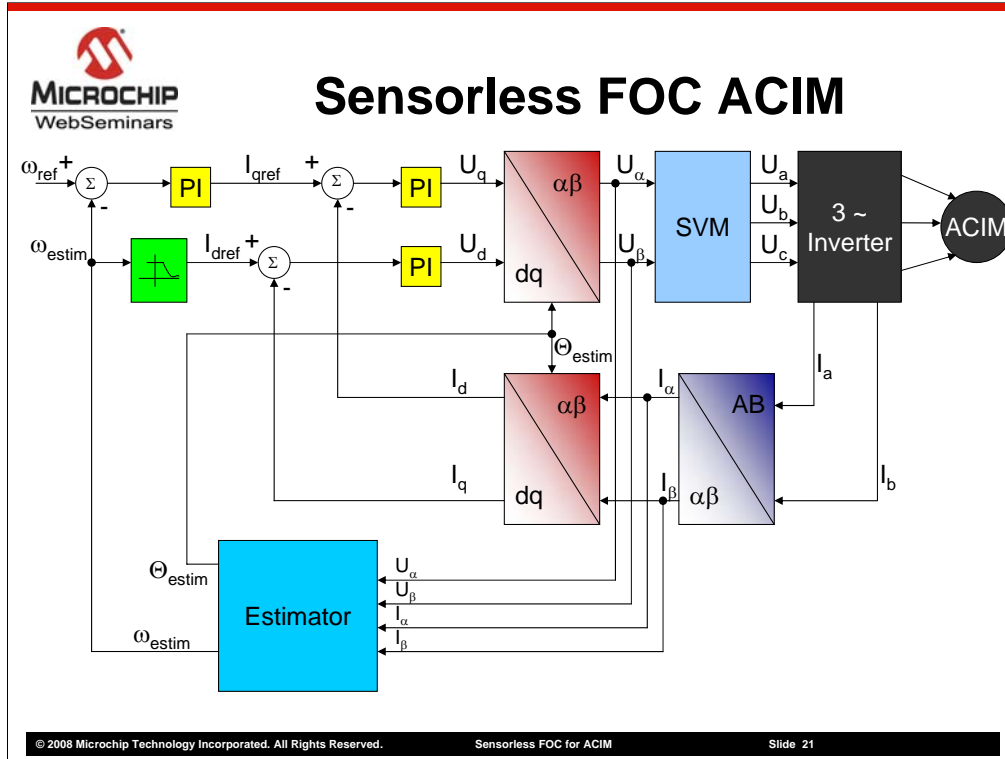
- The speed error between the reference speed and the estimated speed is fed to a PI controller. The output of the PI controller will be the reference  $I_q$  which is responsible for torque generation.



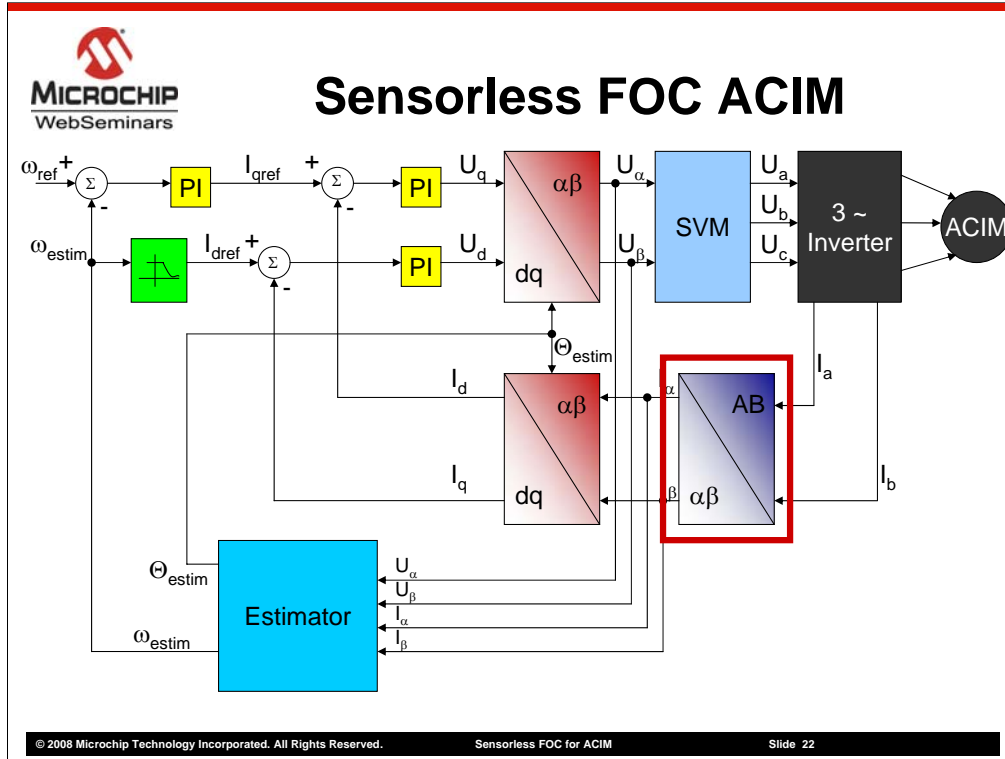
- Torque and Flux are also compensated by PI controllers.




- D and Q voltages which are computed in the rotating reference frame are transformed back to the fixed reference frame using the Inverse Park transformation block producing  $U_\alpha$  and  $U_\beta$ .



- From Valpha and Beta, a modulation technique called Space Vector Modulation is used. SVM transforms the fixed stator reference frame voltages to signals that drive the power inverter.

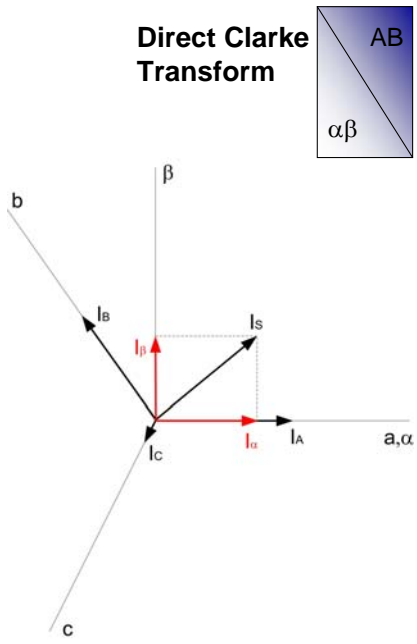


The first block to be described is the Clarke transform.

 **Sensorless FOC ACIM**

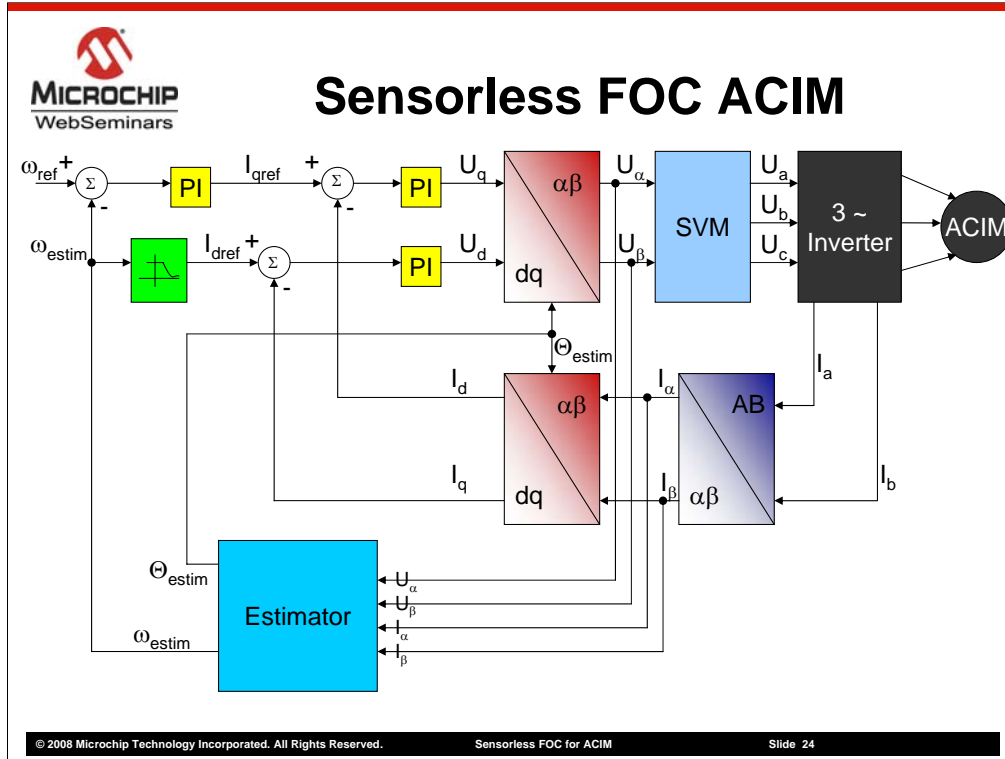
**Direct Clarke Transform**

Transforms 3 phase currents or voltages into 2 orthogonal vectors in fixed frame.

$$I_A + I_B + I_C = 0$$
$$I_\alpha = I_A$$
$$I_\beta = \frac{I_A + 2 \cdot I_B}{\sqrt{3}}$$


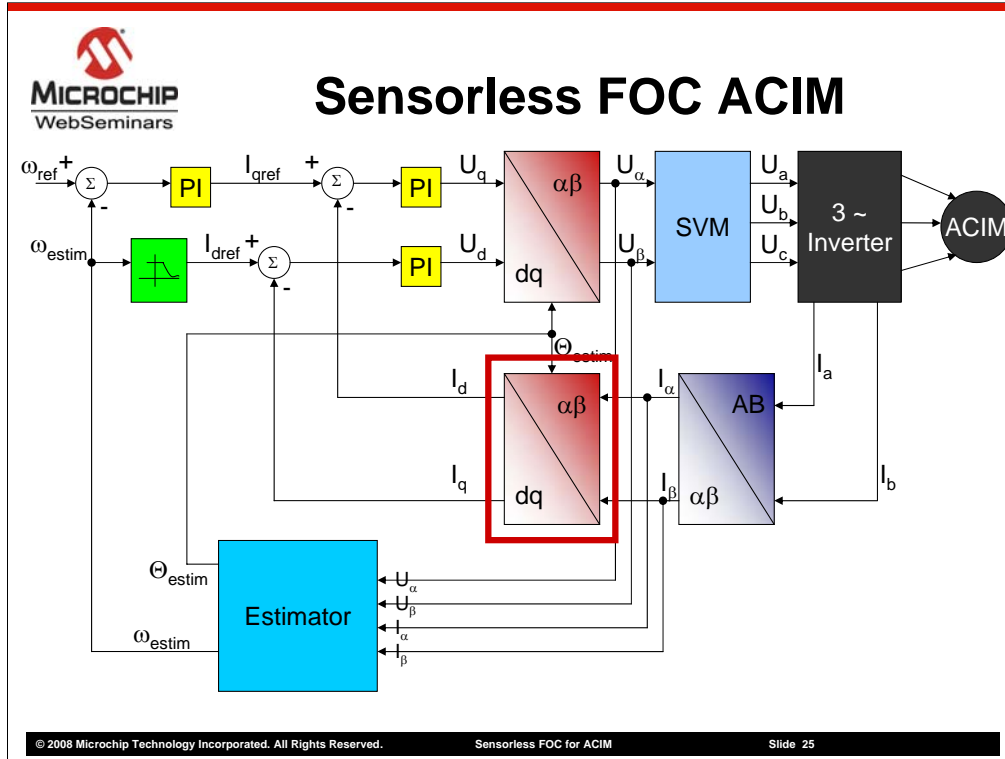
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The Clarke transformation block converts the phase currents to fixed stator reference frame. The equations describing the transformation are based on the fact that the sum of the three phase currents is 0.




The next block to be described is the Park transformation block.





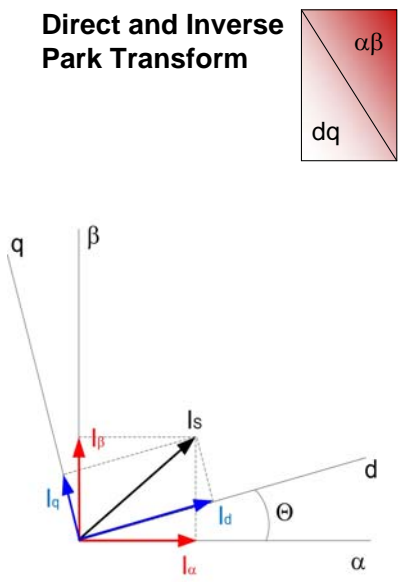
In this control topology, a direct and inverse Park transformation blocks are needed. Inputs to this block are the outputs of the Clarke transformation block and the angle of the rotor.



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**Direct and Inverse  
Park Transform**



Transforms 2 orthogonal vectors on a fixed reference frame into a 2 orthogonal vectors on a rotating reference frame.

**Direct Park**

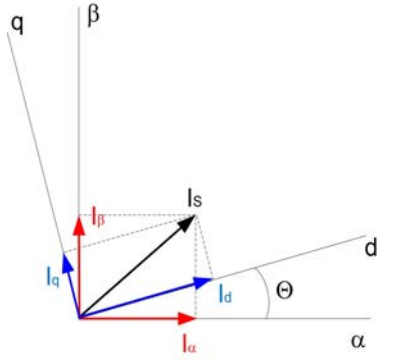
$$I_d = I_\alpha \cdot \cos\Theta + I_\beta \cdot \sin\Theta$$

$$I_q = -I_\alpha \cdot \sin\Theta + I_\beta \cdot \cos\Theta$$

**Inverse Park**

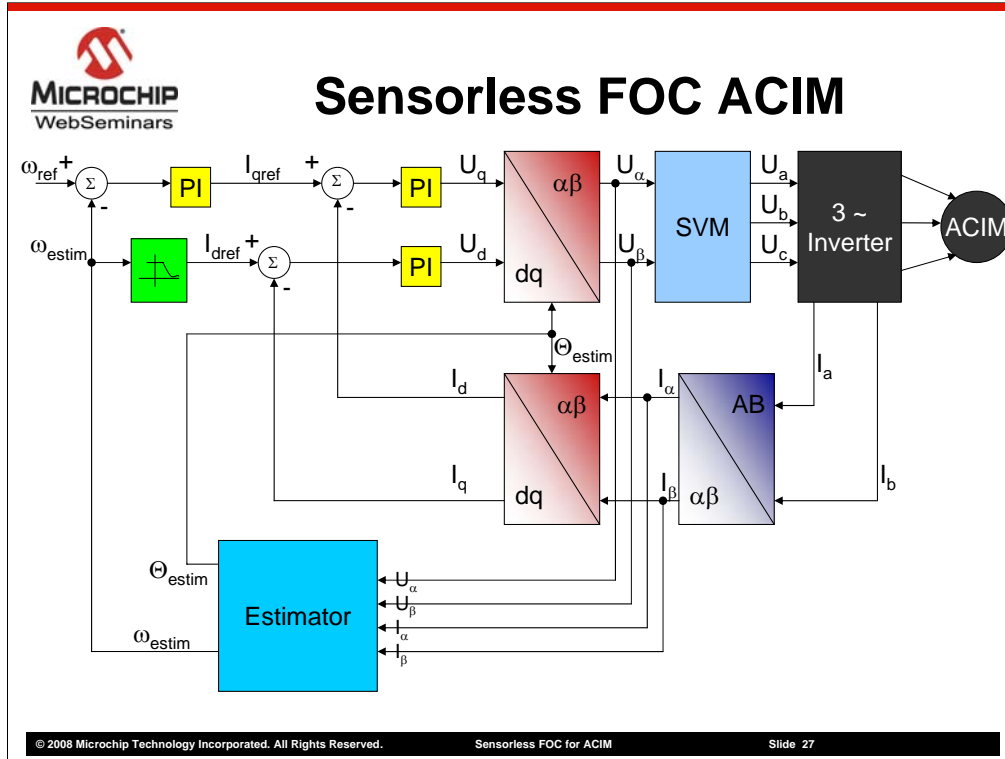
$$U_\alpha = U_d \cdot \cos\Theta - U_q \cdot \sin\Theta$$

$$U_\beta = U_d \cdot \sin\Theta + U_q \cdot \cos\Theta$$

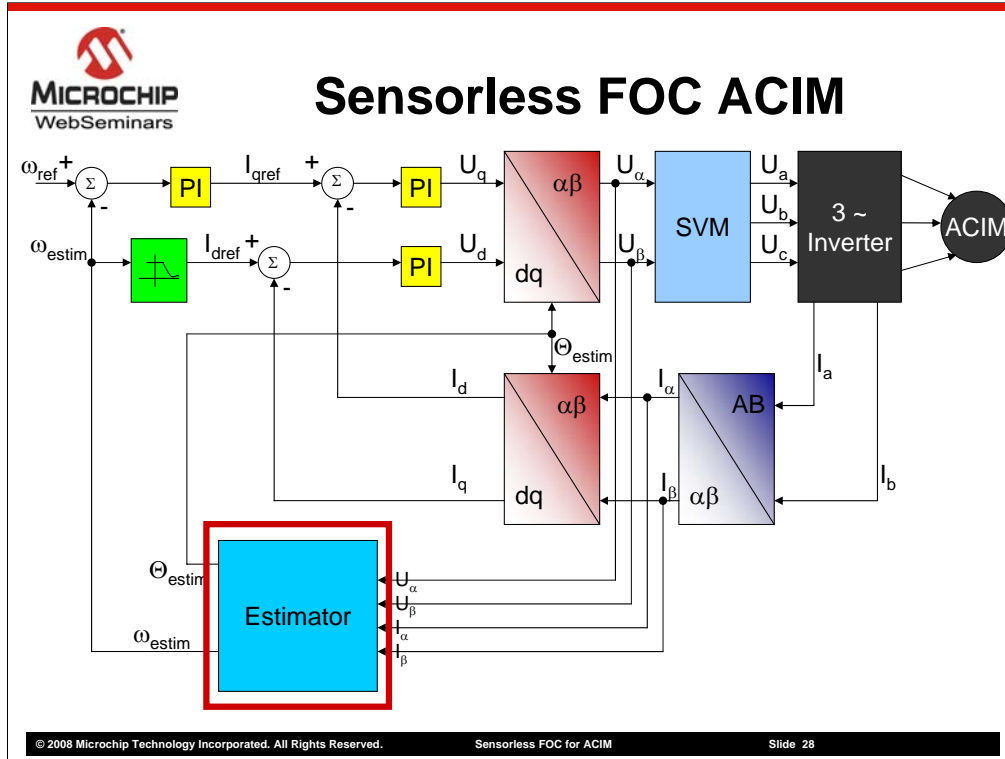


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There are two directions of this transformation block: Direct: from fixed reference frame to rotating reference frame, and Inverse: from rotating to fixed. The equations indicated are simple trigonometric transformations from one reference frame to another. Direct Park transformation outputs (D and Q) are time invariant in steady state conditions. D component is proportional to the flux, while the Q component is proportional to the torque. The inverse Park calculates the equivalent of input voltages from rotating reference frame to a fixed reference frame.



We will move now to the estimator block description.



The estimator's inputs are alpha – beta currents and voltages and its outputs are the estimated rotor angle and the mechanical speed of the motor.



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Angle and Speed  
Estimation

Estimator

**When the magnetising current is constant, the direct component of the BEMF is = 0 ( $E_d = 0$ ).**

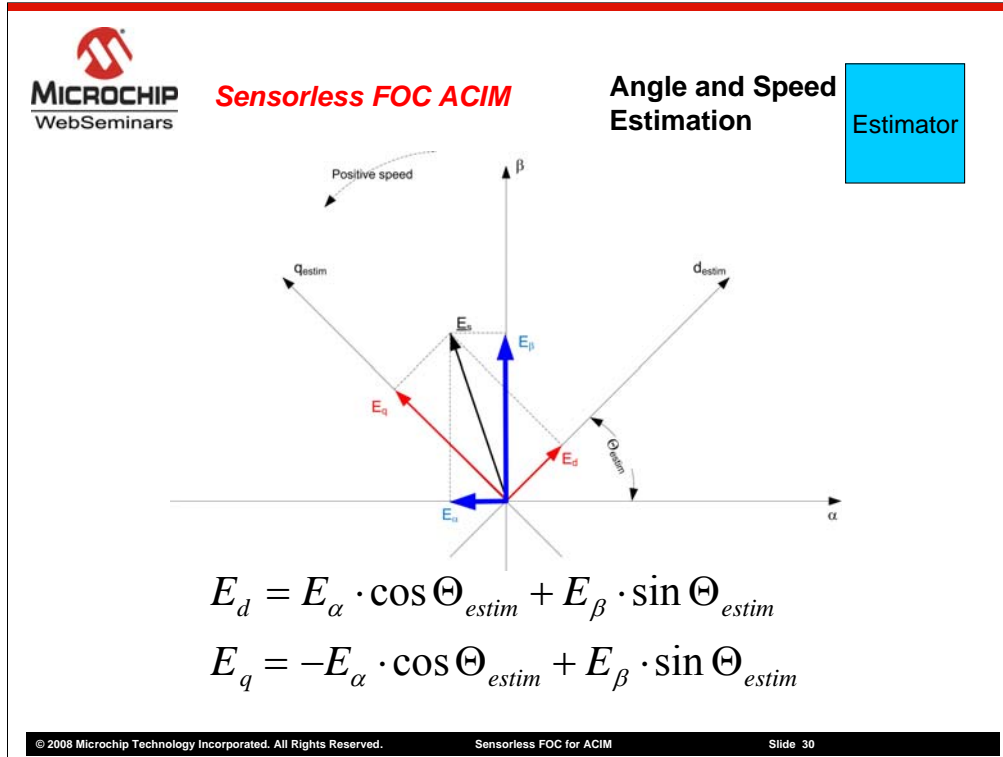
- Calculate the induced BEMF using output voltages of the inverter and measured phase currents

$$E_{\alpha} = U_{\alpha} - R_s I_{\alpha} - \sigma \cdot L_s \frac{dI_{\alpha}}{dt}$$
$$E_{\beta} = U_{\beta} - R_s I_{\beta} - \sigma \cdot L_s \frac{dI_{\beta}}{dt}$$

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The speed and angle estimator has as inputs the fixed reference stator frame, two axes voltages and currents. BEMF is used to estimate speed and position.

First of all, the induced BEMF is calculated. As it can be seen from these equations, E<sub>alpha</sub> and E<sub>beta</sub> calculation is done.



Since the estimation principle is based on the fact that the D component of the BEMF is zero when the magnetizing current is zero, we need to calculate the D component of the BEMF to know the estimation error.

This figure shows the d-q components of the estimated BEMF. The d-q components are obtained using the direct Park transformation block previously described. Since the angle is produced by the estimator itself, we will have an internal loop inside the estimator which will adjust the angle with a Phase Locked Loop.

  
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**Angle and Speed  
Estimation**

Estimator

The BEMF is proportional with the variation of magnetizing flux.

$$E_s = \frac{1}{1 + \sigma_R} \frac{d\Psi_{mR}}{dt}$$
$$E_d = \frac{1}{1 + \sigma_R} \frac{d\Psi_{mR}}{dt}$$
$$E_q = \frac{1}{1 + \sigma_R} \cdot \omega_{mR} \cdot \Psi_{mR}$$

Variation of flux  $(d/dt)\Psi_{mR}$  is 0, since:

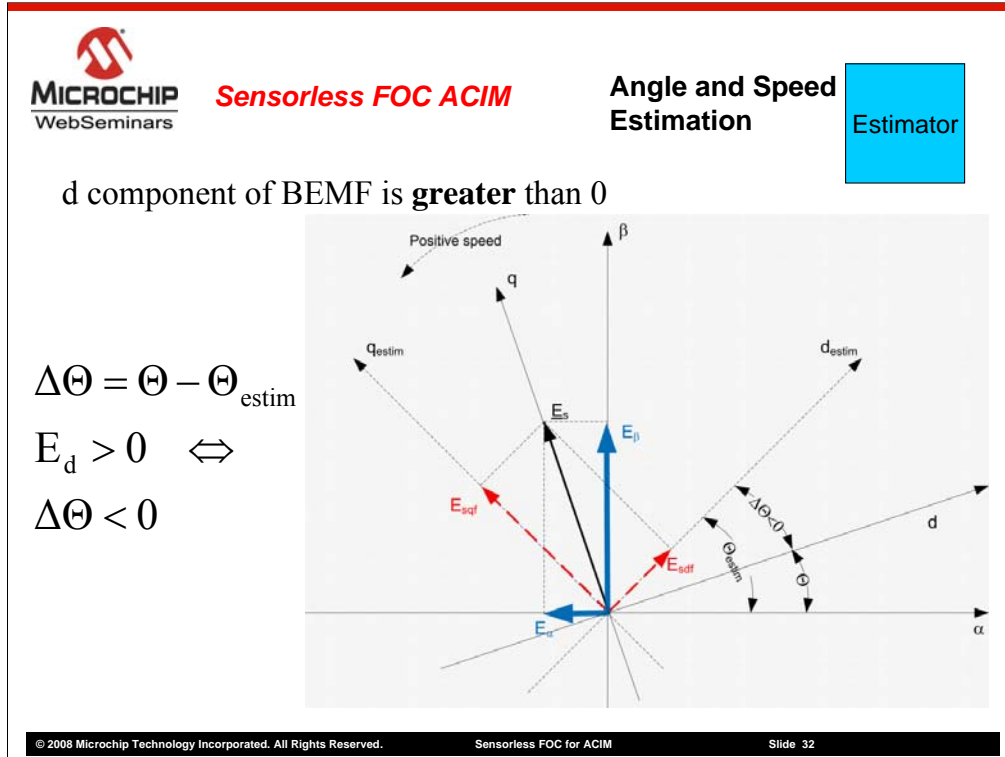
$$E_d \xrightarrow{\Psi_{mR} = ct} 0$$

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The mathematical model of the BEMF is presented here, which highlights its dependence on the magnetizing flux.

Separating the space vector form of the BEMF equation into d and q components, it can be seen that  $E_d$  is proportional to the derivative of the magnetizing flux. This is the principle of the estimator - no variation of the magnetizing flux will make the derivative equal to zero.

The Q component of the BEMF is proportional to the magnetizing flux speed and the magnetizing flux.




If the estimated BEMF is not equal to the actual BEMF, the angle between the estimated and the actual BEMF is delta theta, as shown.

The figure shows the d-q estimated BEMF. If the estimated BEMF is not equal to the actual one, the angle between the estimated and the actual BEMF (delta theta) is not zero as shown in the animation. The estimator will correct the error in such a way that the estimated  $E_q$  is equal to the measured  $E_q$ . It can be seen that delta theta is decreased. In fact, the smaller this delta is, the closer to estimated value to the actual value is.

This slide shows how the error is corrected when the D component of the BEMF is greater than zero.





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**Angle and Speed Estimation**

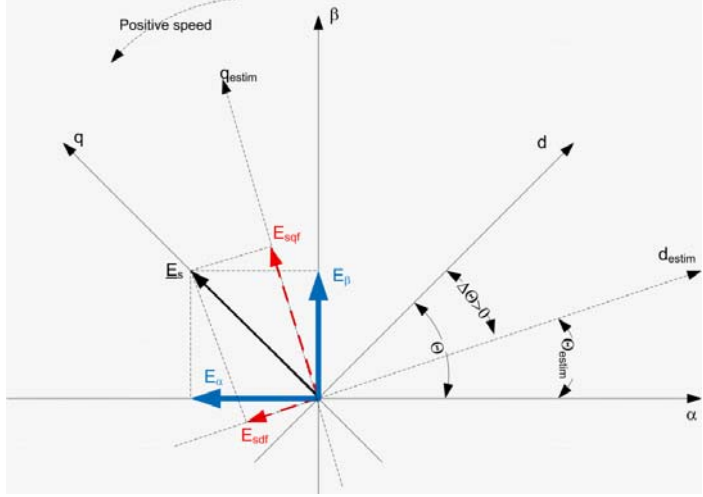
Estimator

d component of BEMF is **less than 0**

$$\Delta\Theta = \Theta - \Theta_{\text{estim}}$$


$$E_d < 0 \iff$$

$$\Delta\Theta > 0$$



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On the other hand, when the d component of BEMF is less than 0, the angle error between the actual rotor angle and the estimated one is greater than 0. The estimator has to decrease the error in order to get the d component of the BEMF back to zero.

  
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**Angle and Speed  
Estimation**

Estimator

Correction error  $\Delta\Theta = \arctan\left(\frac{E_d}{E_q}\right)$

Experimental results show that correcting the estimated angle directly using the back EMF leads to numerical instability.


Correcting the integral of the angle, which is the speed of the motor, ensures numerical stability.

$$\omega_{mR} = \frac{1 + \sigma_R}{\Psi_{mR}} \cdot E_q$$

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A simple way to correct the error between estimated BEMF and actual BEMF would be to subtract the error (delta theta) from the estimated angle. However, correcting the angle directly could lead to numeric instabilities.

On the other hand, correcting the speed instead of the angle produces more stable results. Once the speed has been corrected, the angle is calculated by integrating the speed.



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**Angle and Speed  
Estimation**

Estimator

$$\omega_{mR} = \frac{1 + \sigma_R}{\Psi_{mR}} \left( E_q - \underbrace{\text{sgn}(E_q) \cdot E_d}_{\text{correction}} \right)$$

Condition	Action on $\omega_{mR}$	Correction term
Positive speed, $E_d > 0$	Decrease	$-E_d$
Positive speed, $E_d < 0$	Increase	$-E_d$
Negative speed, $E_d > 0$	Increase	$+E_d$
Negative speed, $E_d < 0$	Decrease	$+E_d$

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When there is an error on the estimation, the D component of the BEMF will be different than zero. In fact, the bigger the D component of the BEMF is, the bigger the speed error is. This is the reason why we use the D component of the BEMF as the correction factor of the estimated speed. The sign of the q component of the BEMF indicates the sign of the correction term. A positive  $E_q$  value corresponds to a positive speed, and a negative  $E_q$  value corresponds to a negative speed. The table shows a summary of the correction factor used depending on the speed direction.

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**Angle and Speed Estimation**

Estimator

$$\omega_{mR} = \frac{1 + \sigma_R}{\Psi_{mR}} \left( E_q - \underbrace{\text{sgn}(E_q) \cdot E_d}_{\text{correction}} \right)$$

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This is a block diagram of the position and speed estimator:



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**Angle and Speed Estimation**

Estimator


$$\omega_{mR} = \frac{1 + \sigma_R}{\Psi_{mR}} \left( E_q - \underbrace{\text{sgn}(E_q) \cdot E_d}_{\text{correction}} \right)$$

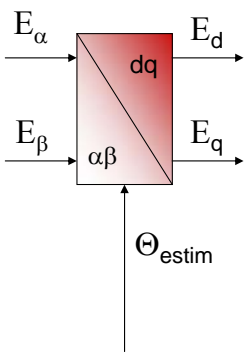
$E_\alpha$   
→

$E_\beta$   
→

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1. BEMF alpha-beta are calculated using the corresponding voltages and currents with the equations indicated in the previous slides.

 **Sensorless FOC ACIM** **Angle and Speed Estimation** Estimator

$$\omega_{mR} = \frac{1 + \sigma_R}{\Psi_{mR}} \left( E_q - \underbrace{\text{sgn}(E_q) \cdot E_d}_{\text{correction}} \right)$$


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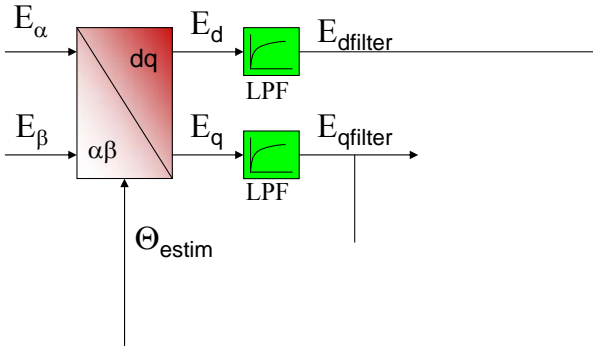
2. The Park transform shown in the red block converts these values from fixed stator frame (alpha-beta) into rotating reference frame values (D-Q). The angle used for this transformation is set to an initial value, and then is dynamically updated with the estimation.

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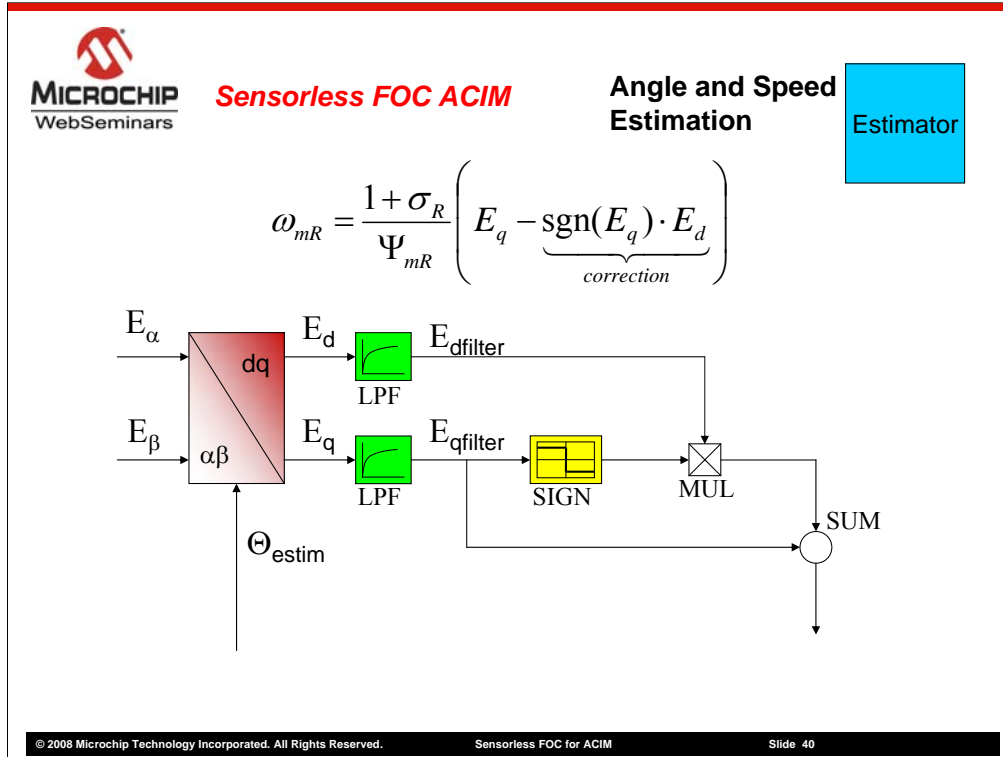
**Angle and Speed Estimation**

**Estimator**

$$\omega_{mR} = \frac{1 + \sigma_R}{\Psi_{mR}} \left( E_q - \underbrace{\text{sgn}(E_q) \cdot E_d}_{\text{correction}} \right)$$


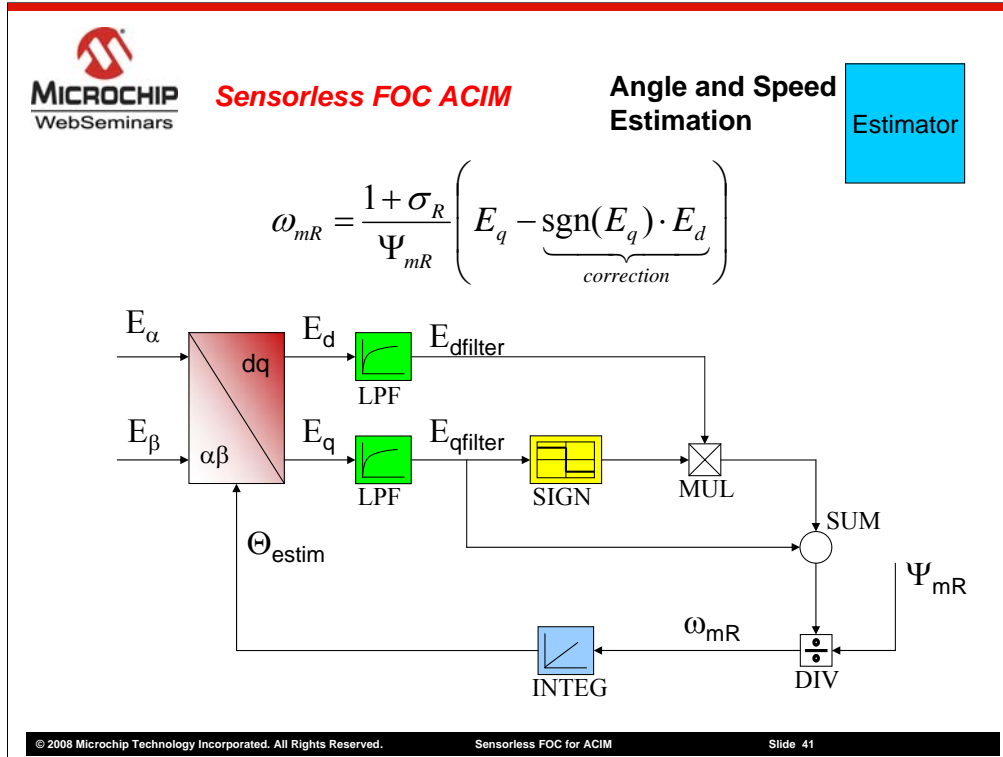
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3. The d-q component outputs are filtered because they are computed from the current measurement, which can be noisy. The first order filter used should be fast enough to allow dynamic changes.



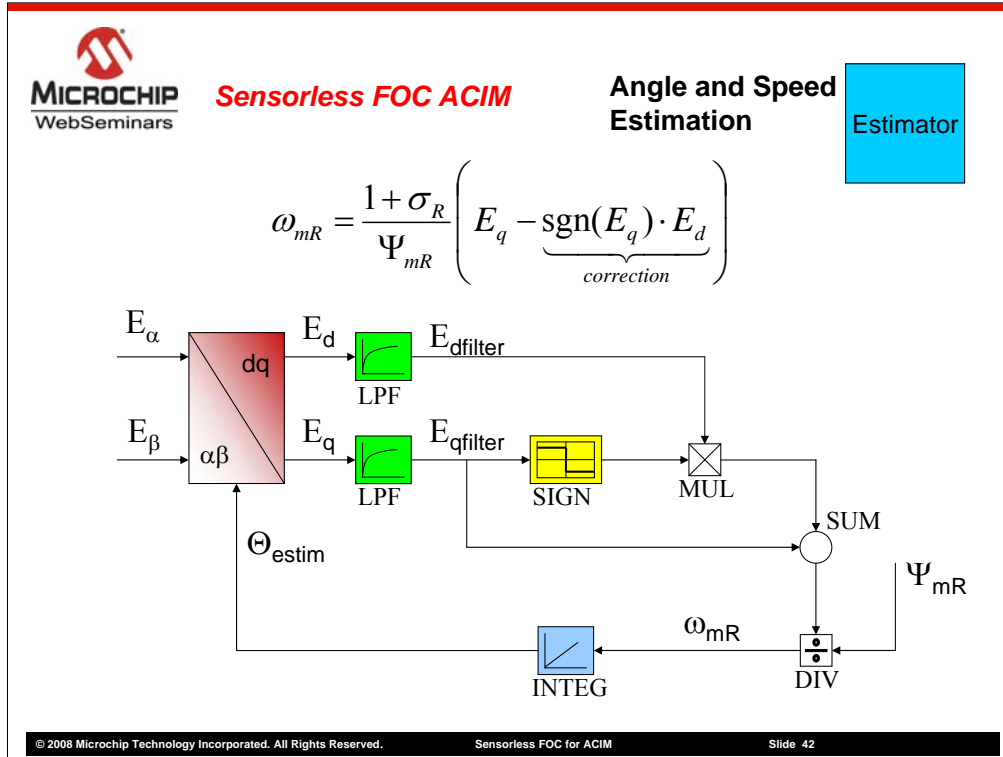
4. The sign of the q component of the BEMF is extracted and multiplied by the d component of BEMF. Then these two components are added to obtain the speed error correction.





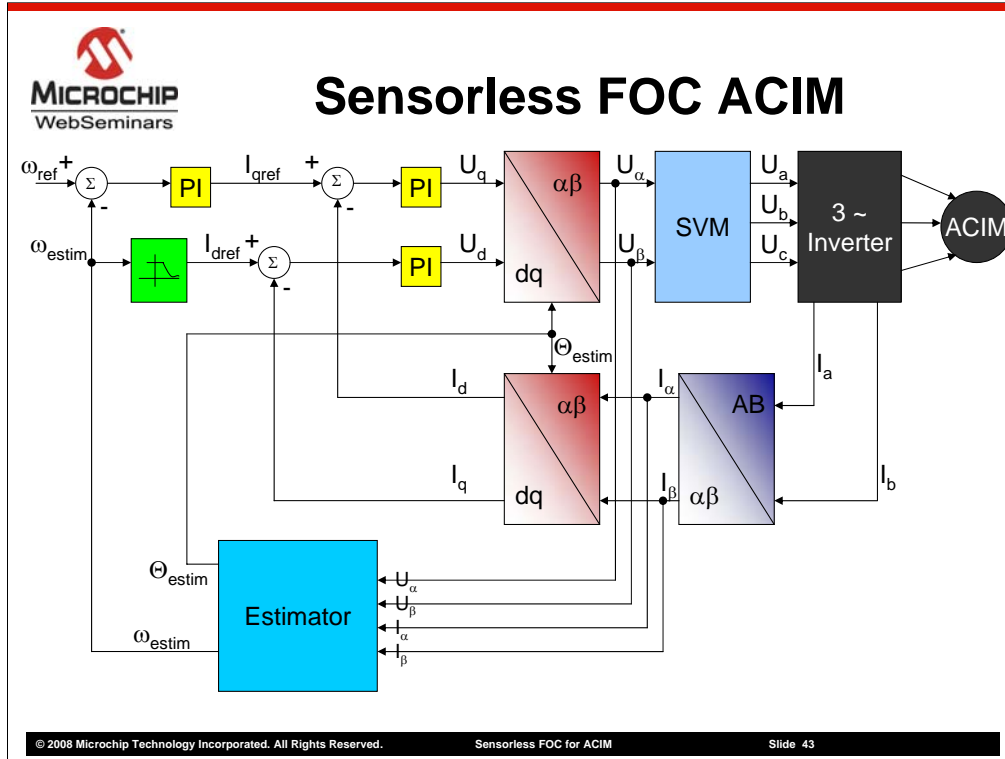
4. (continued) The result of the sum is divided by the magnetizing flux and the result is the magnetizing flux speed. The integral of speed is the angle of the rotor flux, which is feedback to the Park transformation block, which closes the estimator's internal loop.

The magnetizing flux value can be considered constant if the mechanical speed does not exceed the nominal value. If field weakening is to be used to operate the motor above rated speed, the magnetizing current needs to be dynamic instead of a constant.

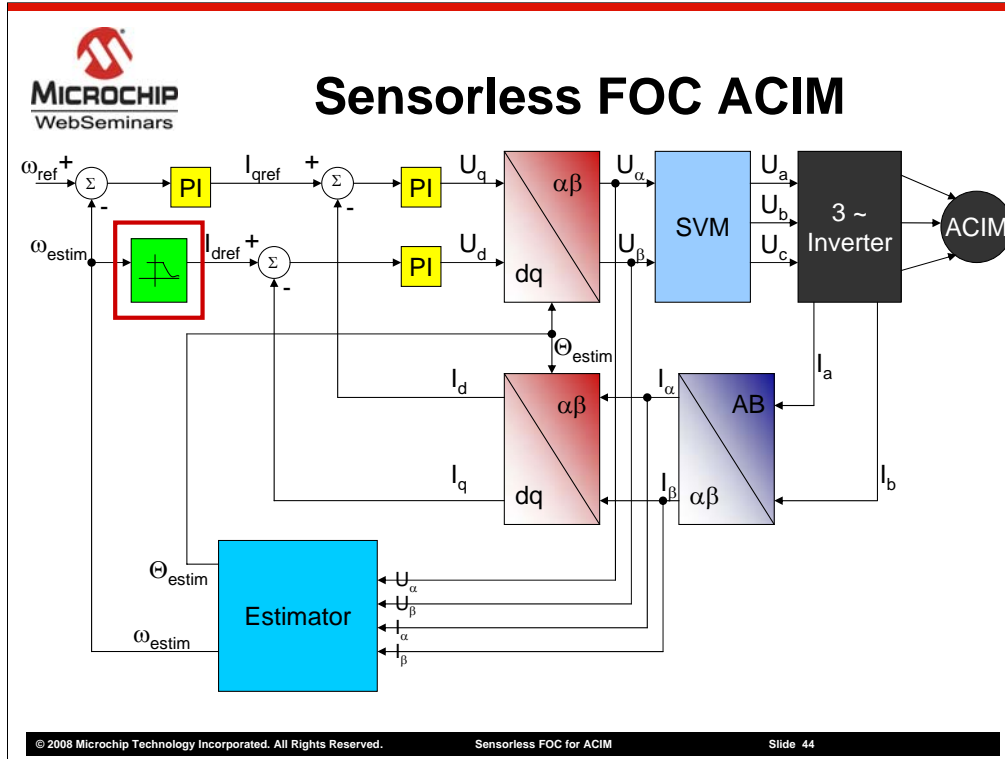


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
The next block to be described is the field weakening.



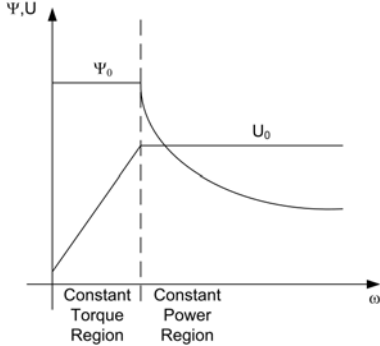
This block is needed when motor operation above the rated speed is a requirement. In applications where the maximum speed does not exceed the nominal speed of the motor, this block can be replaced by a simple constant equal to the d-axis current requirement, which is proportional to the magnetizing flux requirement.

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**Field Weakening** 

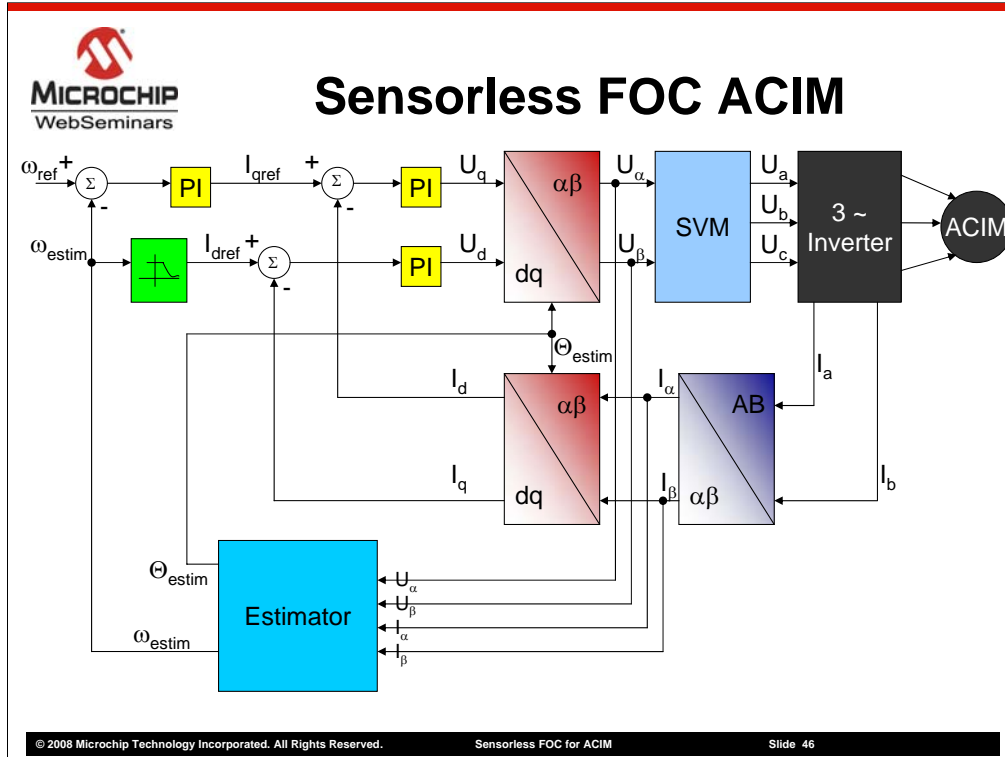
- Motor and inverter's power ratings cannot be exceeded
- The torque is decreased by reducing the magnetizing current and concurrently its counterpart the magnetizing flux



The graph plots flux ( $\Psi$ ) and voltage ( $U$ ) on the vertical axis against speed ( $\omega$ ) on the horizontal axis. A vertical dashed line separates the 'Constant Torque Region' on the left from the 'Constant Power Region' on the right. In the constant torque region, the flux  $\Psi_0$  is constant and the voltage  $U_0$  increases linearly with speed. At the boundary, the flux  $\Psi_0$  drops sharply, and the voltage  $U_0$  becomes constant, resulting in a constant power curve in the constant power region.

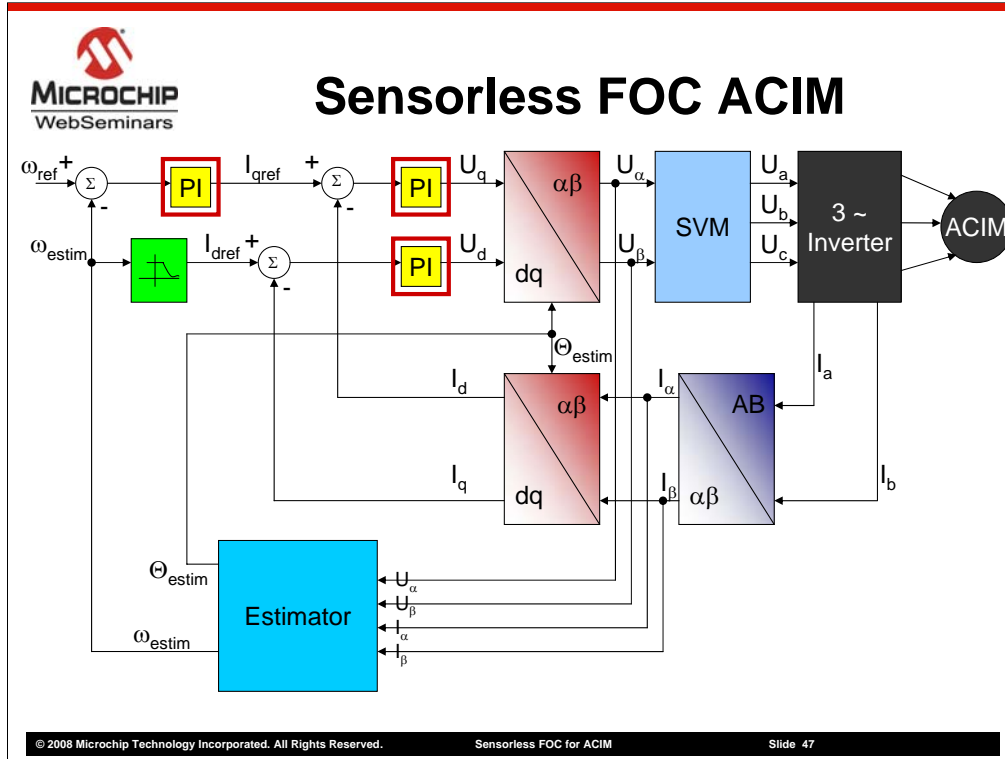
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When exceeding the nominal motor speed, the rotor flux must be weakened. A mechanical speed increase will require a frequency increase of the stator currents, but this must be done with respect to the simple V/Hz equation. Since the voltage cannot be increased over the nominal value, the increase of speed must be done sacrificing the overall torque produced, keeping a constant power curve.




The next block to be described is the PI controller block.

The PI controller is the control loop feedback mechanism that corrects the error between the measured process variable and its reference value. In the case of induction motor control process, three PI controllers are used, one for each current component corresponding to magnetizing flux and to torque generation and one for the speed.



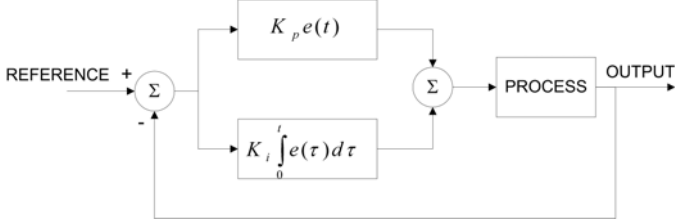
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PI Controller PI

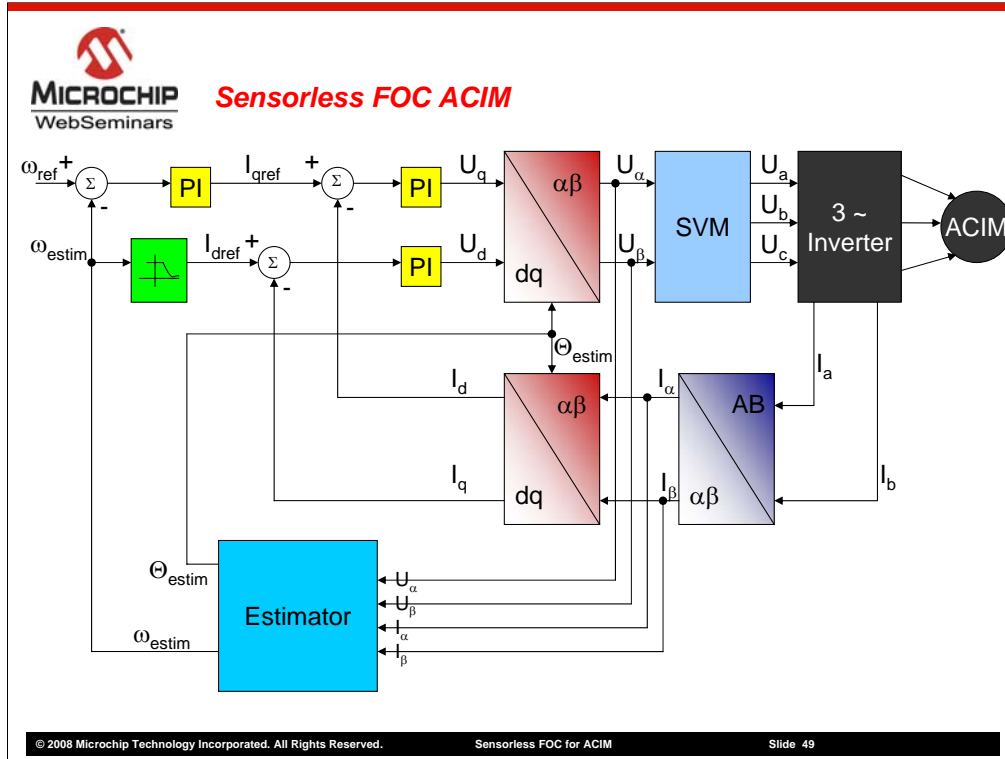


- Proportional term reduces the overall error to 0
- Integral term eliminate the steady state errors

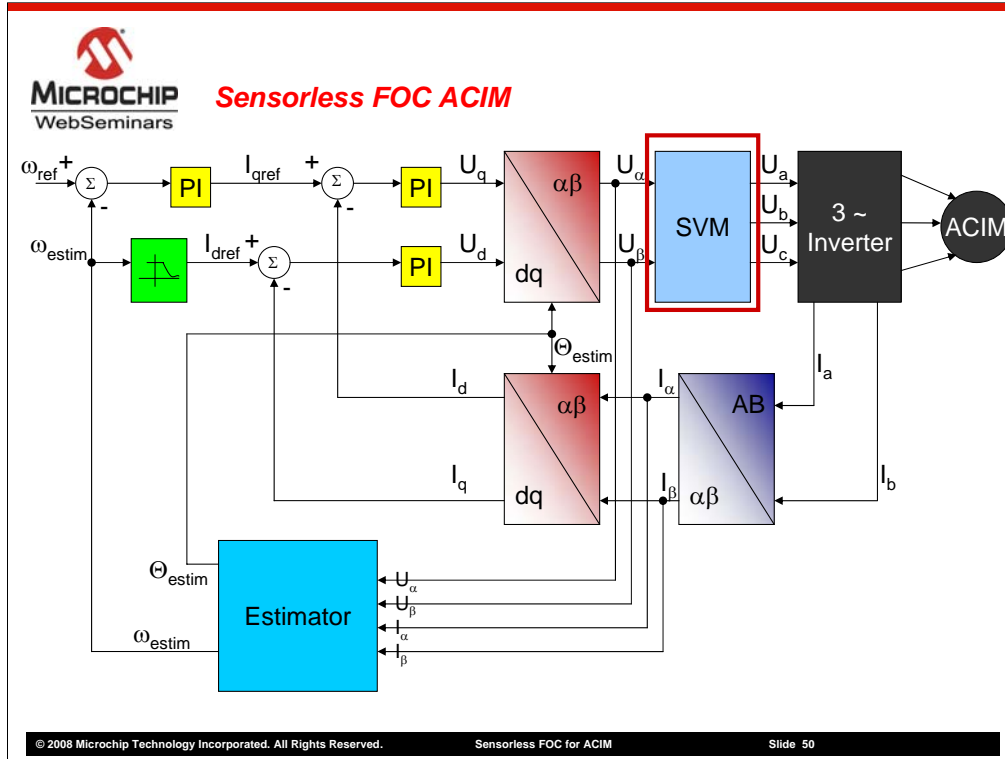
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The proportional term reduces the overall error to 0, but in most cases of control a steady state error will remain and this error is removed with the integral term.






The last block to be discussed in the space vector modulation block, ...



... or SVM.



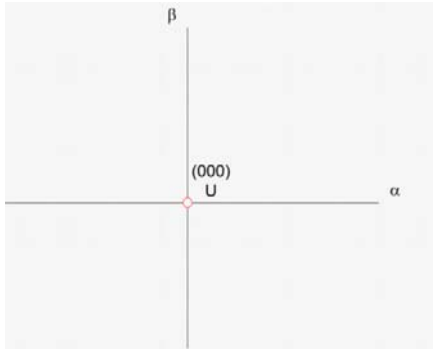
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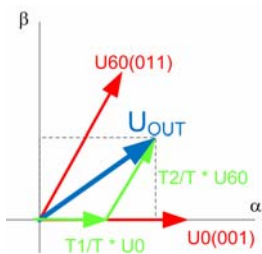
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**Space Vector Modulation**

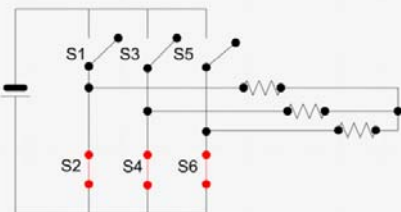
SVM






$$U_{OUT} = T1/T * U0 + T2/T * U60$$



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The SVM block generates PWM signals to the 3 phases of the motor. As indicated in the animation, each of the three inverter outputs can be in one of the two states, which allow a total of 8 possible states that the outputs can be in. When all three outputs are connected to + or – voltage, the state is considered null, because they do not generate line-to-line voltage. The other generated states are separated 60 degrees from each other, as shown in the animation. The SVM produces all the other voltage vectors as a sum of two adjacent vectors. The linear combination of the two vectors is reflected in the duty cycles for the generated PWMs for each phase.

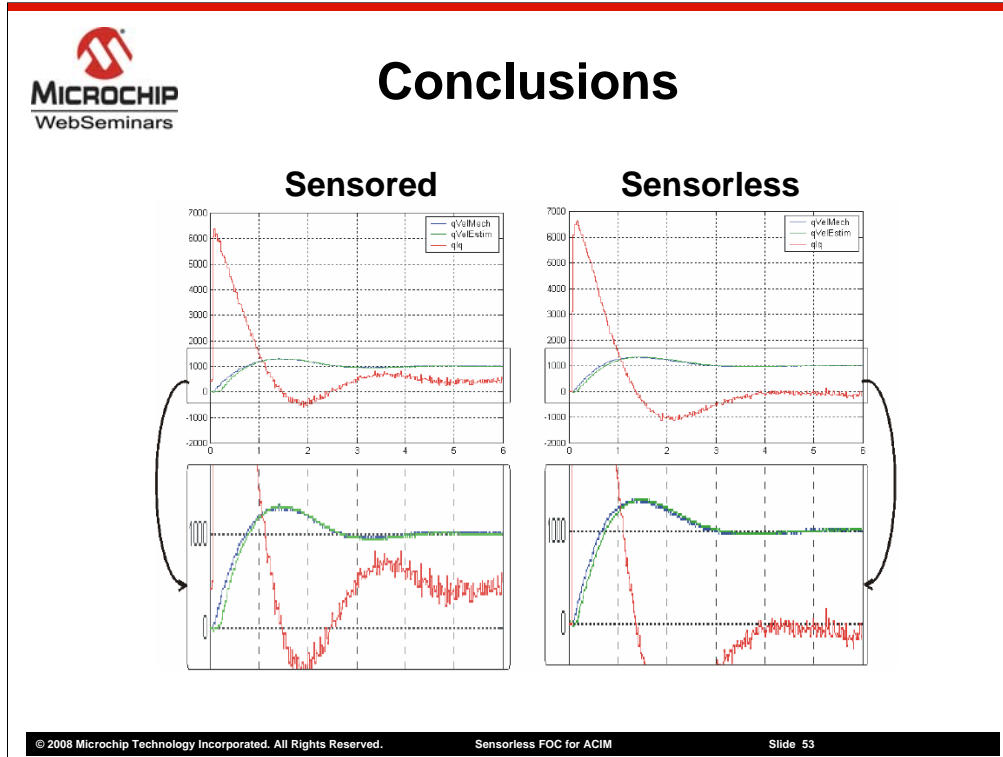


## Web Seminar Agenda

- ACIM Introduction
- Sensorless Field Oriented Control for ACIM
- **Conclusions**


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In summary, we have discussed basic characteristics of an AC Induction Motor. We've discussed each of the Field Oriented Control blocks, including a more detailed discussion of the angle and speed estimator.



The experimental results prove that there is no significant difference between the step response of the sensorless control and the sensed control. The estimator can replace a position sensor without sacrificing dynamic response of the control. As shown in the figure, on the left side we have the step response of a sensed control using an optical encoder, and on the right we have the response of sensorless control, where speed and position are estimated.

With these results in mind, we conclude that sensorless FOC control benefits applications where dynamic response and efficiency are required, without the addition of expensive position or speed sensors.



## Resources

- **For resources and information for motor-control applications, visit Microchip's motor control design center at:**  
[www.microchip.com/motor](http://www.microchip.com/motor)
- **Microchip Application Notes for Motor-Control Applications:**
  - Using the dsPIC30F for Sensorless BLDC Control AN901
  - Using the dsPIC30F for Vector Control of an ACIM AN908
  - Sensored BLDC Motor Control Using dsPIC30F2010 AN957
  - An Introduction to ACIM Control Using the dsPIC30F AN984
  - Using the dsPIC30F2010 for Sensorless BLDC Control AN992
  - Sinusoidal Control of PMSM Motors with dsPIC30F AN1017
  - Sensorless FOC for PMSM using dsPIC AN1078
  - Sensorless BLDC using BEMF IIR Filtering AN1083
  - Getting Started with the BLDC Motors and dsPIC30F GS001
  - Measuring Speed and Position with the QEI Module GS002
  - Driving ACIM with the dsPIC® DSC MCPWM Module GS004
  - Using the dsPIC30F Sensorless Motor Tuning Interface GS005

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We have application notes on motor control. These documents can be obtained from Microchip's web site, by clicking on the "dsPIC® Digital Signal Controllers" or "Technical Documentation" link. We also have a motor control design center at [www.microchip.com/motor](http://www.microchip.com/motor).

This wraps up the seminar on Sensorless Field Oriented Control of AC Induction Motors. Thank you for your interest in the dsPIC Digital Signal Controllers.